

# Exploiting Information Theory for Filtering the Kadir Scale-Saliency Detector

P. Suau and F. Escolano

{pablo, sco}@dccia.ua.es

Robot Vision Group  
University of Alicante, Spain

June 7th, 2007



# Outline

- 1 Introduction
- 2 Method
  - Entropy analysis through scale space
  - Bayesian filtering
  - Chernoff Information and threshold estimation
  - Bayesian scale-saliency filtering algorithm
  - Bayesian scale-saliency filtering algorithm
- 3 Experiments
  - Visual Geometry Group database
- 4 Conclusions

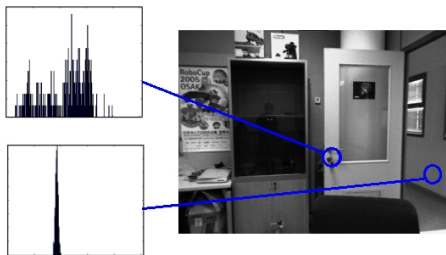
# Outline

- 1 Introduction
- 2 Method
  - Entropy analysis through scale space
  - Bayesian filtering
  - Chernoff Information and threshold estimation
  - Bayesian scale-saliency filtering algorithm
  - Bayesian scale-saliency filtering algorithm
- 3 Experiments
  - Visual Geometry Group database
- 4 Conclusions

# Local feature detectors

- Feature extraction is a basic step in many computer vision tasks
- Kadir and Brady scale-saliency
  - Salient features over a narrow range of scales
  - Computational bottleneck (all pixels, all scales)
- Applied to robot global localization → we need real time feature extraction

# Salient features



- $H_D(s, x) = - \sum_{d \in D} P_{d,s,x} \log_2 P_{d,s,x}$
- Kadir and Brady algorithm (2001): most salient features between scales  $s_{min}$  and  $s_{max}$

# Outline

## 1 Introduction

## 2 Method

- Entropy analysis through scale space
- Bayesian filtering
- Chernoff Information and threshold estimation
- Bayesian scale-saliency filtering algorithm
- Bayesian scale-saliency filtering algorithm

## 3 Experiments

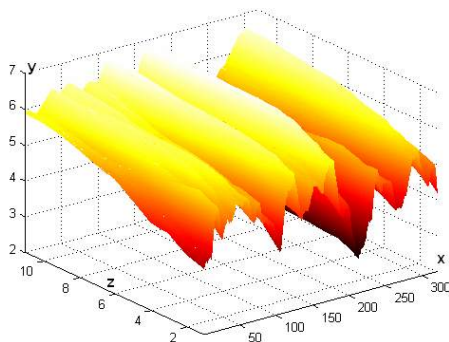
- Visual Geometry Group database

## 4 Conclusions

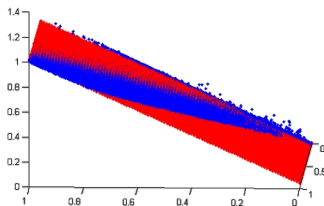
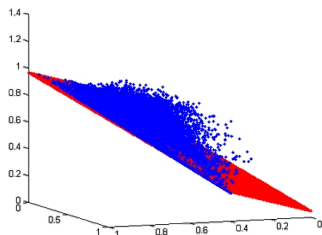
## Entropy analysis through scale space

- Intuitive idea  $\rightarrow$  entropy analysis through scale space

*“Homogeneous regions at highest scale will probably be also homogeneous at lower scales”*



# Entropy analysis through scale space



$$f_1 = \frac{h_{max}}{H_{max}}$$

$$f_2 = \frac{h_{min}}{H_{min}}$$

$$f_3 = \frac{h_m}{H_{max}}$$

Estimation of multiple regression by plane Hough transform

$$f_3 = 0 \times f_2 + 1.01 \times f_1 + 0$$



# Entropy analysis through scale space

## Basic approach $\rightarrow$ threshold $\sigma$

Apply scale-saliency algorithm only to those pixels in

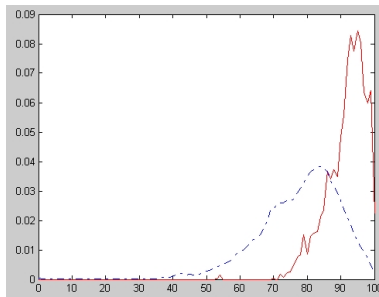
$$X = \left\{ x \mid \frac{H_D(x, s_{max})}{H_{max}} > \sigma \right\}$$

where  $H_{max} = \max_x (H_D(x, s_{max}))$

- How to estimate threshold  $\sigma$  **before** applying scale-saliency to an image?
- Can an only threshold be applied to the whole set of images?

# Bayesian filtering

- Konishi et al., 2003 → bayesian edge detection
- Based on the calculation of distribution probabilities  $P(\phi|on)$  and  $P(\phi|off)$  where  $\phi = H_D(s, x)/H_{max}$



# Chernoff Information and threshold estimation

- Can an only threshold be applied to a set of images?
  - Chernoff information

$$C(p, q) = - \min_{0 \leq \lambda \leq 1} \log \left( \sum_{j=1}^J p^\lambda(y_j) q^{1-\lambda}(y_j) \right)$$

- Low  $C(P(\theta|on), P(\theta|off)) \rightarrow$  set of images is too heterogeneous

## Chernoff Information and threshold estimation

- How to estimate a threshold **before** applying scale-saliency to a set of images?
  - Only  $H_{max} = H_D(s_{max}, x)$  is needed
  - For a given threshold  $T$ , log-likelihood ratio criteria allows to discard image points:

$$\log(P(\phi|on)/P(\phi|off)) < T$$

- Threshold  $T$  calculation by means of Kullback-Leibler distance (Cazorla *et al.*, 2002):

$$-D(P_{off}||P_{on}) < T < D(P_{on}||P_{off})$$

# Bayesian scale-saliency filtering algorithm

## Training (for each image class)

- Estimate  $P(\phi|on)$  and  $P(\phi|off)$  using a set of training images
- Evaluate  $C(P(\phi|on), P(\phi|off)) \rightarrow$  is the image class too heterogeneous?
- Calculate  $D(P_{off}||P_{on})$  and  $D(P_{on}||P_{off})$
- Select a threshold in the range  
 $-D(P_{off}||P_{on}) < T < D(P_{on}||P_{off})$

# Bayesian scale-saliency filtering algorithm

## Filtering

- Calculate  $\phi_x = \frac{H_{D_x}}{H_{max}}$  at  $s_{max}$  for each pixel  $x$
- $X = \left\{ x \mid \log \frac{P(\phi_x|on)}{P(\phi_x|off)} > T \right\}$
- Apply Kadir-Brady algorithm only to pixels  $x \in X$

# Outline

## 1 Introduction

## 2 Method

- Entropy analysis through scale space
- Bayesian filtering
- Chernoff Information and threshold estimation
- Bayesian scale-saliency filtering algorithm
- Bayesian scale-saliency filtering algorithm

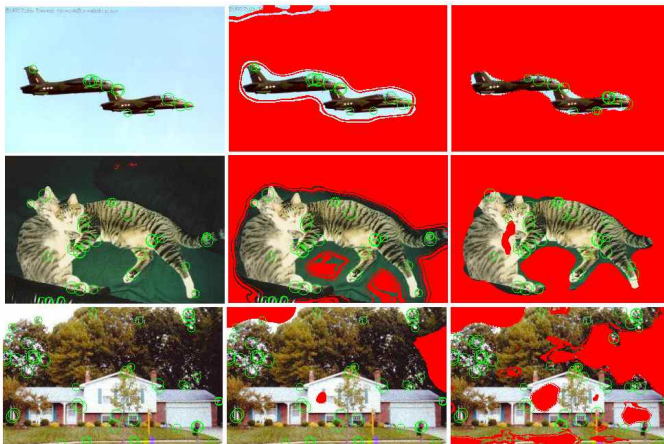
## 3 Experiments

- Visual Geometry Group database

## 4 Conclusions

# Visual Geometry Group database

- <http://www.robots.ox.ac.uk/~vgg/>





# Visual Geometry Group database

Test set	Chernoff	T	% Points	% Time	€
airplanes_side	0.415	-4.98	30.79%	42.12%	0.0943
		0	60,11%	72.61%	2.9271
background	0.208	-2.33	15.89%	24.00%	0.6438
		0	43.91%	54.39%	5.0290
bottles	0.184	-2.80	9.50%	20.50%	0.4447
		0	23.56%	35.47%	1.9482
camel	0.138	-2.06	10.06%	20.94%	0.2556
		0	40.10%	52.43%	4.2110

# Outline

- 1 Introduction
- 2 Method
  - Entropy analysis through scale space
  - Bayesian filtering
  - Chernoff Information and threshold estimation
  - Bayesian scale-saliency filtering algorithm
  - Bayesian scale-saliency filtering algorithm
- 3 Experiments
  - Visual Geometry Group database
- 4 Conclusions

# Conclusions

- Kadir-Brady scale saliency algorithm
  - Computational bottleneck → all pixels, all scales
  - Intuitive idea → entropy analysis through scale space

*“Homogeneous regions at highest scale will probably be also homogeneous at lower scales”*

- Our method
  - Bayesian analysis → threshold  $T$  for each image class
  - Pixels having low entropy at highest scale are discarded
  - Scale-saliency algorithm is applied to the rest of image
  - Threshold  $T$  may vary in a precomputed range depending on application



## Current work and future improvements

- New filters → filter cascade
- Multidimensional scale-saliency



- Combination of these two methods?

## Current work and future improvements

- New filters → filter cascade
- Multidimensional scale-saliency



- Combination of these two methods?

# Exploiting Information Theory for Filtering the Kadir Scale-Saliency Detector

P. Suau and F. Escolano

{pablo,sco}@dccia.ua.es

Robot Vision Group  
University of Alicante, Spain

June 7th, 2007

